

Visualizing Teams Performance in National Kabaddi League through Dimensionality Reduction Techniques

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Abstract—The aim of this paper, is to gain insights in to dynamicsofKabaddi.Thissporthasbecomeincreasinglypopular, by analyzing teams' performance in national leagues. To do so, theresults of each round of matches the participating teams play are usedto create a dissimilarity matrix. This matrix is then processed throughtwo algorithms, Multidimensional Scaling (MDS) and t-DistributedStochasticNeighborEmbedding(t-SNE),tovisualizetheperformanceofeachteam.TheMDSalgorithmprovidesalow-dimensional representation of the teams' performance, allowing for avisual representation of complex data linkages. The t-SNE algorithm,on the other hand, captures the non-linear relationships in the teams'performance. By using data from the 2017-2018 Kabaddi season andcomparing the results obtained through MDS and t-SNE, this studyaims to identify critical factors that influence team performance andprovideadeeper understandingof thedynamicsofthesport.

Keywords— Data Visualization, Feature Projection, Sportsanalysis,Statistical analysis.

I. INTRODUCTION

The digital data produced in various industries has grownexponentially in recent years. Teams of seven players eachcompeteinthepopularsportofKabaddionarectangularpitch. There is a 5-minute intermission in between each of the twohalves of the game's two 20-minute halves. To outscore youropponent, you must send raiders through their defense, touchas many players as you can on the way back to your side, andtackle your opponent's raiders to stop them from scoring. Theteam with the greatest number of points at the conclusion ofthe contest is deemed the winner. To make the informationcontainedinhigh-dimensionaldataeasilyaccessibleandcomprehensible, visualization is crucial. However, because thedata is computationally costly and has numerous dimensions,this can be a difficult task.[1]. Despite the challenges faced byhuge, multi-dimensional datasets, the display of data plays akey role in understanding and interpreting it. Although it canbe difficult to spot patterns and relationships because of theuncertainty in these sorts of data, visualization tools enable thediscovery of insights that might not be immediately apparent.A deeper comprehension of the facts can be attained by visualexploration, resulting in better decision-making. Additionally,data visualization can assist in identifying areas that requireadditionalresearchandanalysis.[2].Formanyyears,appro

aches for minimizing the dimension of the data, such asPCAandMDS,havebeenessentialtools.FeatureMappingis atechniquethataimstosimplifydatabycreatingacompressedrepresentation that retains as much of the original form aspossible. The goal is to maintain the important features andrelationships withinthedatawhilereducingitscomplexityandp resentingitinamoremanageableformat.Thedataarefrequentlyred ucedtotwoorthreedimensionsduetothisprocedure. It is frequently visualized using scatterplots, whichplacecomparabledatasets closetogetherandunlikeonesapart. [1]. The concept of "t-SNE" is offered as a method forvisualizing high-dimensional data transformed into a matrix ofsimilarities between pairs of points. While also revealing moresignificant patterns and clusters in the data at various sizes, t-SNEisefficientincapturingthelocalizedstructureofthedata.[3]. MDS is an analytical tool that examines the variances oranges between quantitative points to help visualize complexinformation. It seeks to decrease data dimensionality whilemaintainingconsistentlinksbetweendataelements.Itmakes itsimple to visualize and analyze the data by displaying it in areduced-dimension space. Multidimensional scaling (MDS) isa technique employed in data analysis that aims to understandand interpret high-dimensional data. This approach identifiespatternsandlinkages thatmightnotbeimmediatelyobvio usinthe actual data by examining the distances between data pointsand modeling the data in a lower-dimensional space. MDS hasa wide range of applications in various fields such as scientificcomputing, computational linguistics, biostatistics, and imageprocessing. Its purpose is to simplify and present informationinamoreunderstandableandnaturalformat[4].

II. RELATEDRESEARCH

Incontrasttotypicalmultivariate data,whichonlyconsiders individual items, multidimensional scaling (MDS) is assessing data that refers to the similarity or distinction amongpairs of data's.[5].Multidimensionalscaling(MDS)isadimensionality reduction algorithm that analyses the similarityor difference between pairs of objects in a dataset, as opposedtotypicalmultivariate dataanalysiswhichonlylooksatindividual items.[5]. A novel method for assessing non-metricMDS was createdby Taguchi and Oono [6] and utilized tofindpatterns.ResultsusingnonparametricMDShighlydependo ntheinitialconfigurationbecauseitjustpreservesthesequenceofco mmonalitiesratherthantheoriginalscale.

Despite this, it is still difficult to shorten the computation for metrics. The Supervised Stochastic Neighbor Embedding technique proposed a new metric for determining dissimilarity that takes class information into account. With the updated t-SNE method, high-dimensional data can be effectively processed for visual representation, data extraction, and classification purposes within classification applications. [7]. The t-SNE technique aims to preserve the relationship between features by transforming high-dimensional data into a lower-dimensional representation. The result is a visual representation in which points that were close together in the high-dimensional data will still be close together, and those that were far apart will remain so in the lower-dimensional representation. Maintaining the Integrity of the Specifications. Pezzotti et al. [8] aimed to solve the issue of finding approximate nearest neighbours in large dimensions by utilizing a decision tree of approximation K-d trees, which results in a faster calculation process. Currently, there are many advanced techniques for selecting approximate neighbours in multi dimensions that make the computation even more efficient.

III. DATA DESCRIPTION

The national pro kabaddi league can be found on the website "<https://www.prokabaddi.com>," which provides a database of match results, team names, final scores, top scorers, and other details of each match. The league, which is now in its 6th season, has 12 competing teams, with the Bengaluru Bulls coming out as the winner after defeating the Gujarat Fortune Giants in the final. For the next season, all 12 teams will play each other twice and the top six teams will make it to the playoffs, while the bottom four teams will have elimination rounds. In the 7th season, Bengal Warriors emerged as the champions after defeating Dabang Delhi. This season also saw many records being set, such as Pardeep Narwal achieving 1,000 points in the league, Naveen Kumar scoring 21 consecutive Super 10s, and three raiders reaching 300 raid points. Additionally, Neeraj Kumar and Mohit Chhillar tied for the most defensive tackle points in a game.

IV. METHODOLOGIES

A. Multidimensional Scaling

The Multidimensional scaling method was applied to analyze the performance of kabaddi teams at the league level. Each round's results were used to calculate the differences between teams, and an MDS technique was used to show the teams' performance. To highlight the disparities between the teams, three strategies were adopted. The initial strategy required creating one MDS and one dissimilarity matrix for each round. The second method created a single global MDS chart by combining all the information into a data dissimilarity matrix. The third strategy produced a time series for each team based on the outcomes of each round. The efficiency of the team scan then be visualized using an MDS technique

using these differences. An example of how to use MDS in the context of a kabaddi league season is by constructing a dissimilarity matrix founded on points of every match. The dissimilarity matrix created in the analysis of the national Kabaddi league reveals the difference between each pair of teams, with the entry in the i -th row and j -th column representing the difference between team i and team j . This matrix is then processed using Multidimensional Scaling (MDS) to produce a visual representation of the teams' performance in the form of a 2D or 3D plot, where the position of each team conveys their overall performance throughout the game. A technique for evaluating the correlation between low-dimensional data points y_i and y_j , which correspond to high-dimensional data points x_i and x_j , can be established using a method that involves computing conditional probabilities. [7]. To determine the connection between low-dimensional data points y_i and y_j that correspond to high-dimensional data points x_i and x_j , a dissimilarity matrix D with dimensions m between the two items is used. This matrix measures the distance between i and j , with d_{ij} being the value representing that distance. The result is a matrix X , which has a reduced number of dimensions (often $d=1, 2$ or 3), that is optimized through the use of gradient descent method known as "teaming". [14].

$$\text{Strain}_D(x_1, x_1, \dots, x_N) = \left(\frac{\sum_{ij} (b_{ij} (x_i - x_j))^2}{\sum_{ij} b_{ij}^2} \right)^{1/2} \quad (1)$$

The MDS technique is a way to convert high-dimensional data into a low-dimensional format by reorganizing data points that are similar to be near each other, while data points that are dissimilar are placed farther apart. This is achieved by creating a matrix B from the dissimilarity matrix D , and then using a double-centering transformation. Output is produced by calculating the eigen-decomposition of matrix B . [10]. The traditional MDS algorithm starts by computing the square dissimilarity matrix D^2 from the dissimilarity matrix D . Then, it calculates the centering matrix J and the matrix.

$$B = -\frac{1}{n} J D^2 J \quad (2)$$

After that, it determines matrix B 's d largest eigenvalues and eigenvectors. Finally, it calculates the low-dimensional representation matrix,

$$X = E_d \Lambda_d^{1/2} \quad (3)$$

B. K-NN Algorithm

The K-NN algorithm groups observations based on their similarities to other observations in a dataset. The algorithm calculates dissimilarity measures between all observations to find the k closest observations of a given observation. It then assigns the new observation a category label depending on the most common category label of its k

closest observations. The KNN approach also applies to machine learning, where the objective is to locate clusters of similar observations or comparable observations that differ from one another. In the context of KNN, the algorithm categorizes new observations based on their similarities to other observations in a dataset. The dissimilarities between all the observations are calculated, and the k nearest neighbors of a given observation are determined using these dissimilarities. The class label for the new observation is assigned based on the most frequent class label among its k nearest neighbors. In an unsupervised learning scenario, KNN can be utilized to discover similar observations or clusters of similar observations based on their differences. This is achieved by performing clustering, calculating the centroid, and determining the k nearest neighbors for each observation. The centroid is found by taking the average of the cluster. The likelihood of a connection between two low-dimensional observations can be determined using a similar method based on the calculation of conditional probability.

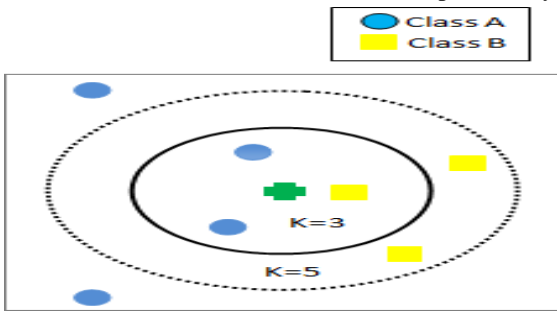


Fig. 1. K-Nearest Neighbor Classifier

In Figure 1, a diagram depicts the design of a K-Nearest Neighbor (KNN) classifier. The green rectangular sphere, representing a test case, will be assigned to different classes based on the value of k. For instance, if k is set to 3, the test case will be classified as part of the blue circular class. But if k is increased to 5, the test case will be classified as part of the yellow square class. [8]. A K-Nearest Neighbor (KNN) classifier is used to identify the class that a test sample, represented by x, belongs to. The classification process involves calculating each group's likelihood based on the K-NN of x, using a specific distance metric, d. The example is assigned to the group with the highest likelihood, which is determined by evaluating the distance between x and the k nearest neighbors.

C. t-Distributed Stochastic Neighbor Embedding (t-SNE).

t-SNE is a type of non-linear and self-governing machine learning method utilized for simplifying high-dimensional data, such as images, audio signals, or text, into a lower-dimensional representation. T-SNE aims to maintain the key information contained in the original high-dimensional data while condensing it into a more manageable form, usually 2 or 3 dimensions. The advantage of using t-SNE is that it can simplify high-dimensional data into a lower-dimensional form, making it easier to comprehend the relationships between the data points and understand the data's overall structure.

Traditional methods of analysing high-dimensional data can sometimes fall short in visualizing it in a way that retains its local and global aspects, making t-SNE a valuable tool in these situations. [3]. The t-SNE algorithm is used to deal with the problem of visualizing high-dimensional data effectively while preserving both local and global structures. It transforms the distances between high-dimensional data points into probabilities of similarity through a process called Stochastic Neighbor Embedding. This results in a lower-dimensional representation that retains important information from the original data. The t-SNE technique is a widely used tool in fields such as computer vision, natural language processing, and bioinformatics, as it helps convert high-dimensional data into a more manageable and interpretable form. This allows for deeper insights into the structure and relationships within the data, making it a valuable tool for data analysis and exploration. [5].

$$p_{j|i} = \frac{\exp(-\|x_i - x_j\|^2 / 2\sigma_i^2)}{\sum_{k \neq i} \exp(-\|x_i - x_k\|^2 / 2\sigma_i^2)} \quad (4)$$

The t-SNE algorithm aims to compute a similar conditional probability between the low-dimensional data points y_i and y_j , which correspond to the high-dimensional data points x_i and x_j . The difference between x_i and x_j is presented as the magnitude of their separation $\|x_i - x_j\|$, and the spread of data points in high-dimensional space is represented by σ_i . The objective is to compute the straight-line distance between y_i and y_j , which is represented as the magnitude of their separation $\|y_i - y_j\|$, in order to calculate the conditional probability between the low-dimensional data points. The aim is to find a way to calculate the relationship between the high-dimensional feature vectors of each Kabaddi team and the corresponding low-dimensional data points, while preserving the similarities between the teams. To do this, t-SNE calculates the probabilities based on the distances and variance between the high-dimensional data points and minimizes the difference between these probabilities and the corresponding low-dimensional points. This process allows for a reduction of the high-dimensional data into a more manageable lower-dimensional space while retaining important information about the teams' performance, such as their record of wins and losses, the points they score, and the strategies they use for defense. By using t-SNE, it is possible to gain valuable insights into the performance of Kabaddi teams, which can aid coaches, players, and analysts in understanding the strengths and weaknesses of each team.

IV. RESULT AND DISCUSSION

The outcomes of the study indicated that utilizing t-Distributed Stochastic Neighbor Embedding and Multidimensional Scaling as a means of reducing the dimensions of the data was effective in comprehending the intricacies of the game of Kabaddi and identifying significant

variables that influence a team's success. The t-Distributed Stochastic Neighbor Embedding method was particularly effective in visually representing complex and non-linear relationships in the data by creating a reduced, simplified depiction of the team's success over time. In Figure 2. Show the team who won the match according to the win points there are four clusters, cluster 1 represents the higher winning points above 13 to 17, and cluster 2 denotes the points between 12 to 14. After which, the winning point from 6 to 10 comes under clustering 3. Finally, cluster 4 represents the remaining points. In figure 3. Show the two-team performance analysis within the season 2017-2018. The team U Mumba Played the game in two seasons and score the high points it is represented in figure 3.

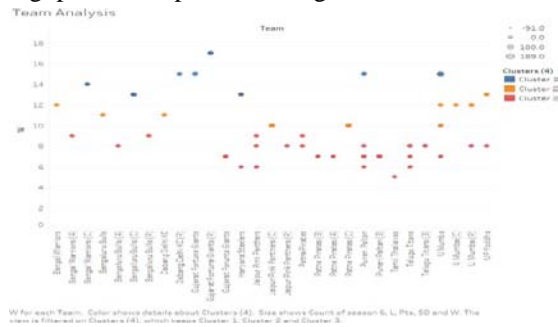


Fig.2. Team Clustering

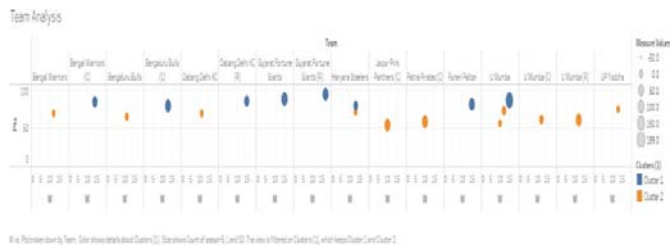


Fig.3. Illustrate the Two team performance

The resulting scatter plots, as seen in Figs. 4 and 5, clearly explain the teams' season-based dissimilarity matrix. The K-NN algorithm fared well regarding clustering, with the maximum accuracy attained while utilizing t-SNE as the dimensionality reduction method. The study's results demonstrated that using t-Distributed Stochastic Neighbor Embedding and Multidimensional Scaling as a means of reducing the dimension of the data was helpful in comprehending the intricacies of the game of Kabaddi and identifying crucial factors that impact a team's performance. The t-Distributed Stochastic Neighbor Embedding method successfully created a reduced, simplified representation of the team's performance over time. The scatter plots produced, shown in Figures 4 and 5, effectively displayed the team's season-based differences. The K-Nearest Neighbors (K-NN) algorithm performed well in grouping the data, with the highest accuracy achieved when t-SNE was used as the method of simplifying the dimensions of the data. This

highlights the effectiveness of t-SNE in preserving the essential structure of the information while reducing its complexity. The team performance during the seasons from 2017 to 2018 is shown in Figures 4 and Figure 5 displays the team's performance using Multidimensional Scaling (MDS) and the data points are relatively close to each other. Figure 3 shows the results using the t-Distributed Stochastic Neighbor Embedding (t-SNE) technique.

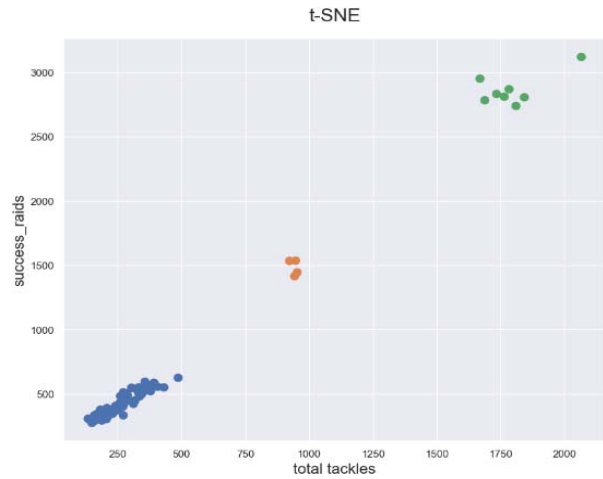


Fig.4. t-Distributed Stochastic Neighbor Embedding (t-SNE)

Both algorithms display the team's performance based on these seasons. MDS and t-SNE were used to transform the dissimilarity data points into similarity matrices. t-SNE effectively analyzes the complex connections between the data points, and compared to MDS, it speeds up the calculation while still producing accurate results. The representation of the team performance over time can be seen in t-SNE, which also visualizes the intricacies of the game of Kabaddi. In Figure 4. Show the pairwise distances between the data points in the high-dimensional space in the lower-dimensional space and preserve it. In kabaddi data, it takes won points and calculate the Euclidean output space where the distances between the points are proportional to the distances between the points in the original high-dimensional space. Figure 5 shows to preserve the local structure of the data points by minimizing the divergence between two probability distributions. By using t-SNE the won data points preserve the structure of won data points structure, and the result is a discrete, embedded output space that captures the local relationships between the won data point between the teams. In conclusion, our analysis showed that using t-Distributed Stochastic Neighbor Embedding, Multidimensional Scaling, and K-Nearest Neighbors (K-NN) together was a useful technique for understanding the intricacies of the game of Kabaddi and identifying important factors that have an impact on team success. Further research, using a larger dataset, could be done to validate these findings on a larger scale.

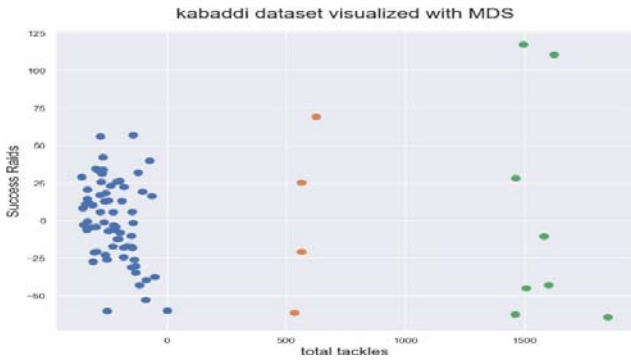


Fig.5.Multi-DimensionalScaling

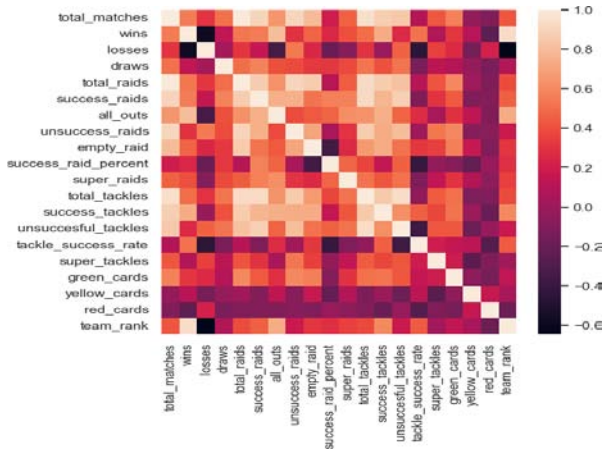


Fig. 6.Multi illustrates the correlation and co-variance of the dissimilaritymatrixintheKabaddidatasetthroughaheatmap.

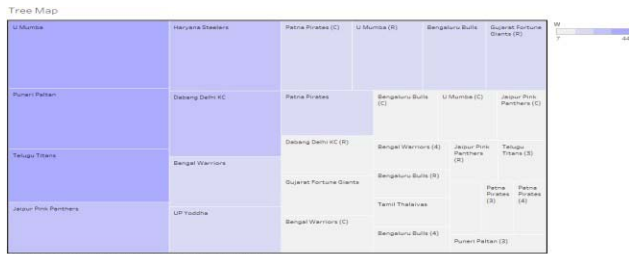


Fig. 7.Representation of Tree map- it shows which team gets high and lowwon points in a season form 2017-2018, the dark colour shows the high pointsandlightcoloursshowstheleast scoringpoints

V. CONCLUSIONS

In order to understand Kabaddi effectively, this research contributes in analysis of a team's performance over several seasons. MDS and t-SNE, two data visualization methods, were applied to accomplish this. These techniques made it easier to evaluate the progress of the team and determine the key factors that affect its success. The analysis's findings provided a crucial new understanding of the dynamics of the game and the variables affecting a team's performance. The

study was able to offer a thorough insight of Kabaddi and its complexities by evaluating the MDS and t-SNE data. Teams and coaches who desire to perform better might take use of these insights. They can design strategies and techniques that will enable them to excel in the game by being aware of their important success factors. Overall, the study has added much to our understanding of Kabaddi and is likely to be of great interest to fans of the game. Future research could consider using machine learning techniques such as clustering, classification, and regression to identify patterns and make predictions based on the data applying the findings to practical applications such as team selection, training strategies, and game tactics to improve performance.

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